YENISI - IV: WINTER - 2016

Subject: I. T. - Elective-I a) Theory of Automata

Day: Saturday Time: 02.00 P.M. TO 05.00 P.M. S.D.E.Max Marks: 80 Date: 10/12/2016 Total Pages: 1 N.B.: 1) Attempt ANY FIVE questions from Section – I and attempt ANY TWO questions from section $- \mathbf{H}$. 2) Figures to the right indicate FULL marks. 3) Answers to both the sections should be written in the **SAME** answer book. **SECTION - I** 0.1 Prove that for all natural number n, $1 + 2 + 3 + \dots + n = n (n + 1)/2$. a) (05)Show that any subset of a countable set is countable. b) (05)**Q.2** Construct a Binary adder as a finite state machine. (10)Q.3 Design a Finite Automata that reads strings made up of {0,1} and accepts only (10)those strings which end in either "00" or "11". Describe in Simple English the language represented by the regular (05) Q.4 expression $r = (1 + 10)^*$. b) Define the following and give suitable examples. (05)Regular set ii) Regular expression Let G be a content free grammar which is defined as: $S \rightarrow aSb \mid ab$. Find the (10) Q.5 CFL generated by G. Construct a PDA that recognized language accepted by the DFA shown in fig. **Q.6** (10)Q.7Write short notes on: (10)Chomsky Normal Form a) Post Canonical system b) **SECTION - II**

- **Q.8** Design a Post Machine that checks if the given string contains well – formed (15) parentheses.
- **Q.9** Design a Turing Machine to find the 2's complement of a given binary number.
- Q.10Construct a Moore machine to find out the residue - modulo - 3 for binary (15) numbers.